

Cataloguing substructure in Star Forming Regions

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Objective

Construction of a catalog of substructure in star forming regions allowing for comparison of the substructure characteristics amongs different regions

Substructure Catalog

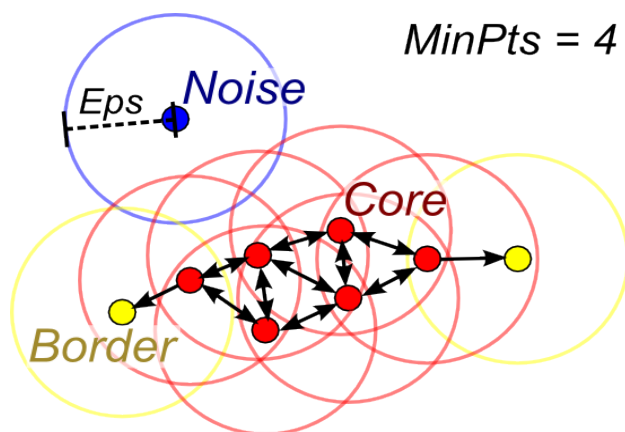
- Reliable
- Homogeneous

Methodology for detection

- Reliable
- Homogeneous
- Robust to different inputs

The procedure

DBSCAN



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**Astronomy
&
Astrophysics**

Multiplicity and clustering in Taurus star-forming region

I. Unexpected ultra-wide pairs of high-order multiplicity in Taurus

Isabelle Joncour^{1,2}, Gaspard Duchêne^{1,3}, and Estelle Moraux¹

A&A 620, A27 (2018)
<https://doi.org/10.1051/0004-6361/201833042>
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**Astronomy
&
Astrophysics**

PARAMETERS

Epsilon
MinPts

Multiplicity and clustering in Taurus star forming region

II. From ultra-wide pairs to dense NESTs★

Isabelle Joncour^{1,2}, Gaspard Duchêne^{1,3}, Estelle Moraux¹, and Frédérique Motte¹

Choosing epsilon

Compare the sample with complete spatial randomness

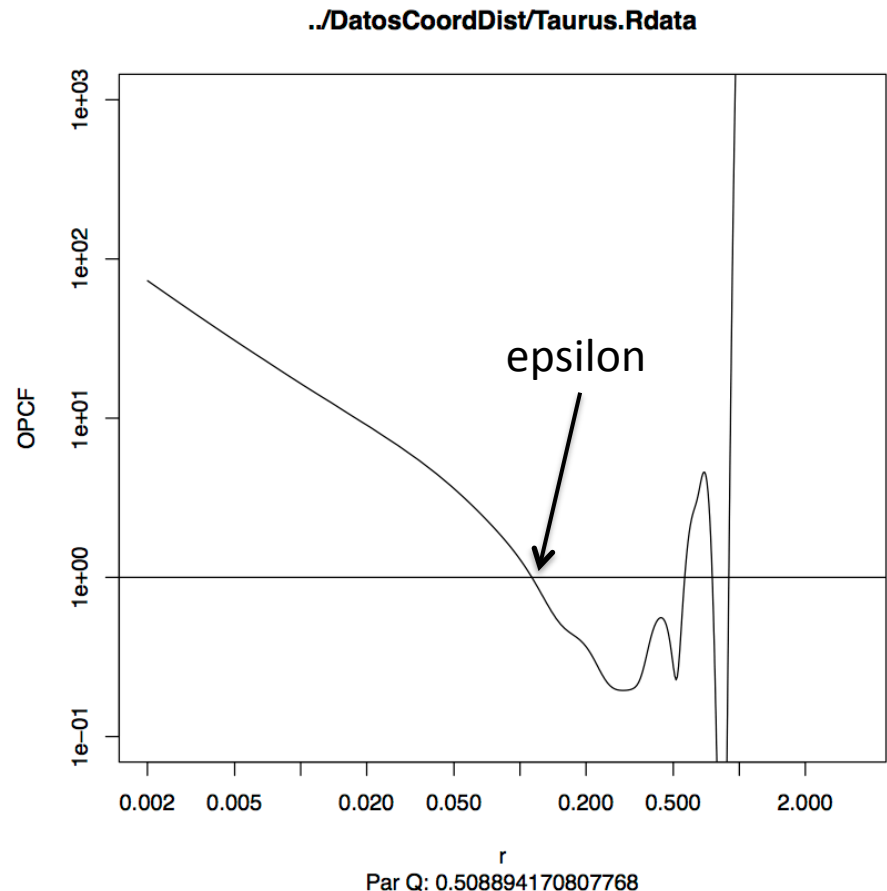
One point correlation function

$$\Psi(r) = \frac{w_{samp}(r)}{w_{rand}(r)}$$

w is the first nearest neighbour density

$$w_{rand}(r) = 2\pi\rho r \exp(-\pi\rho r^2)$$

↑
Local density from the mean 6th
nearest neighbour distance



Choosing Nmin

Guarantee reliability over random fluctuations

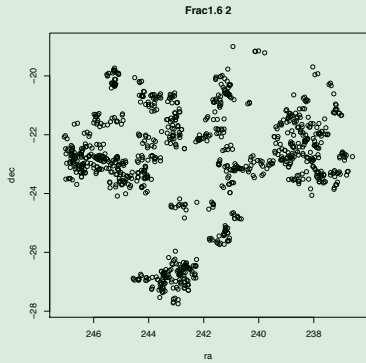
$$w_{rand}^n(r) = \frac{2(\pi\rho)^n}{\Gamma(n)} r^{2n-1} \exp(-\rho\pi r^2)$$

$$P(n) = \int_0^\epsilon w_{rand}^n$$

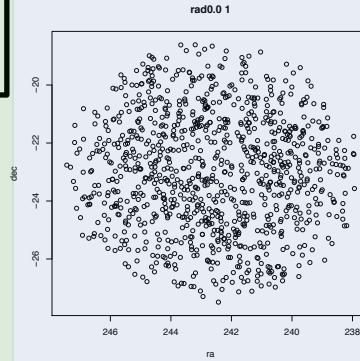
Probability of having at least n
neighbours within an epsilon
radius for a random distribution.

Simulations

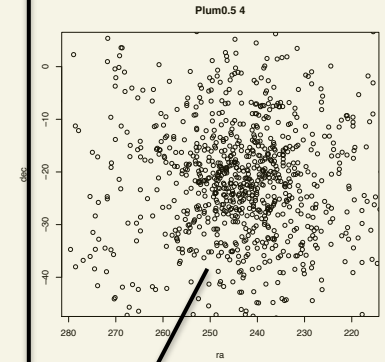
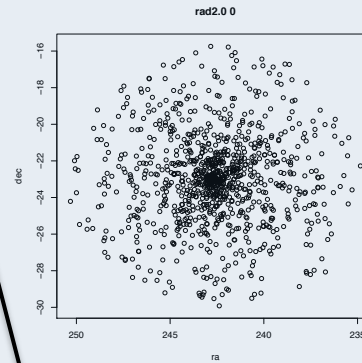
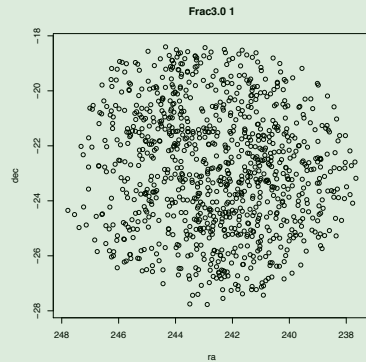
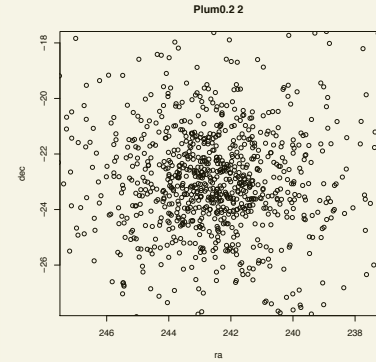
Fractal



Radial



Plummer



Structured

$Q < 0.8$

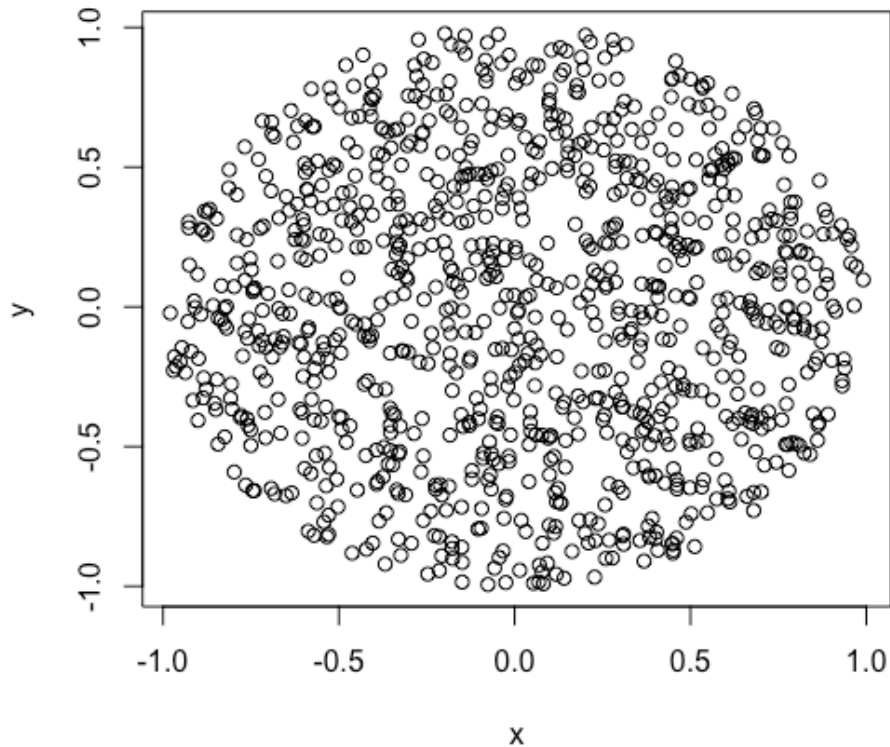
Homogeneous

$Q \sim 0.8$

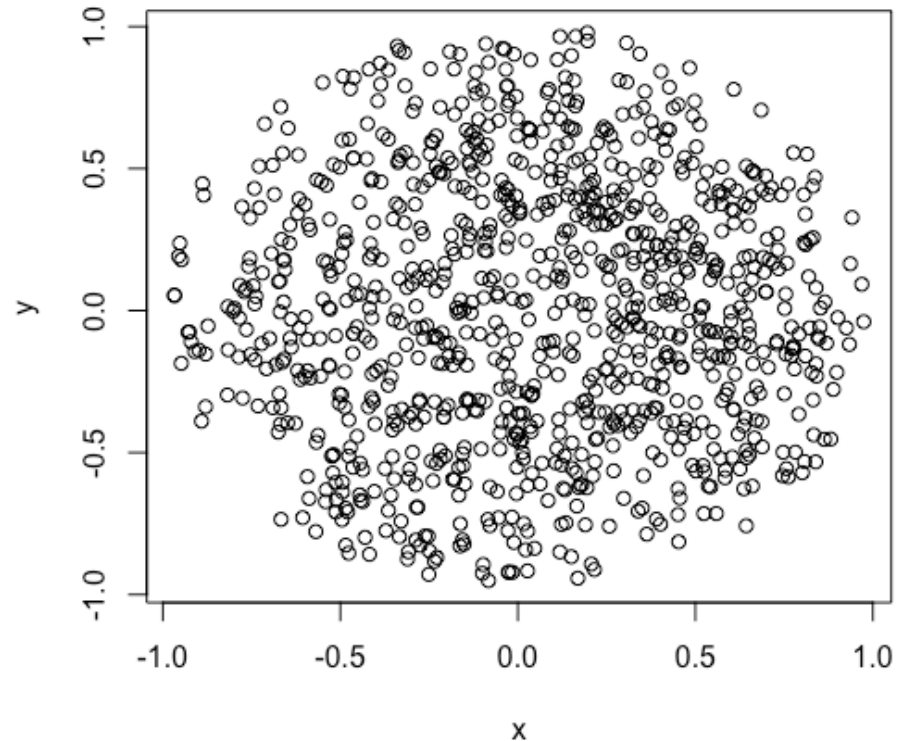
Concentrated

$Q > 0.8$

Projection effects and homogeneous distributions



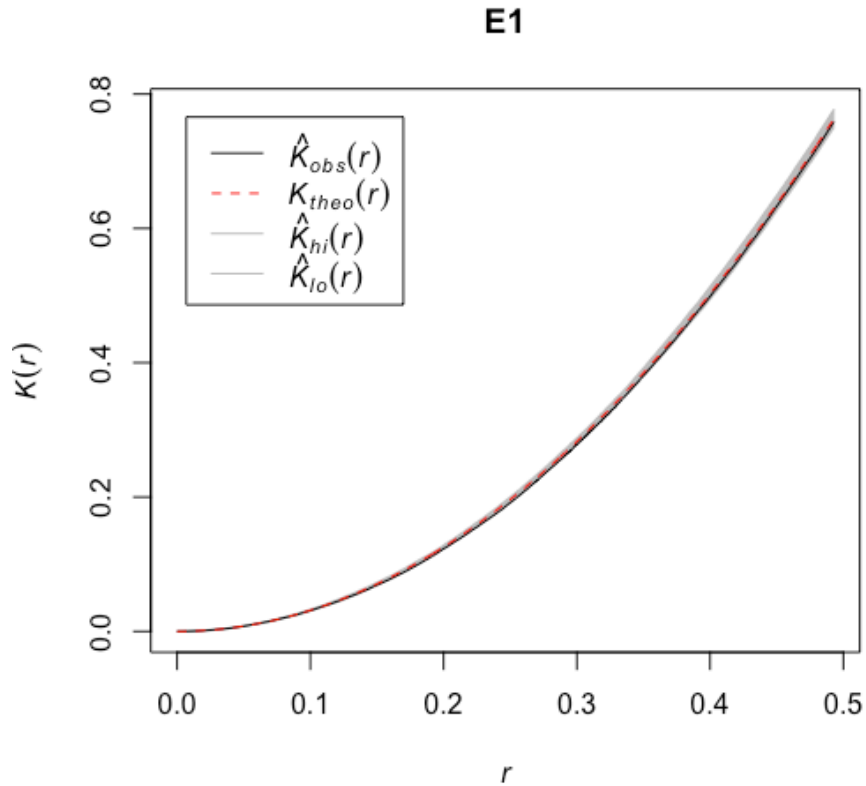
2D homogeneous



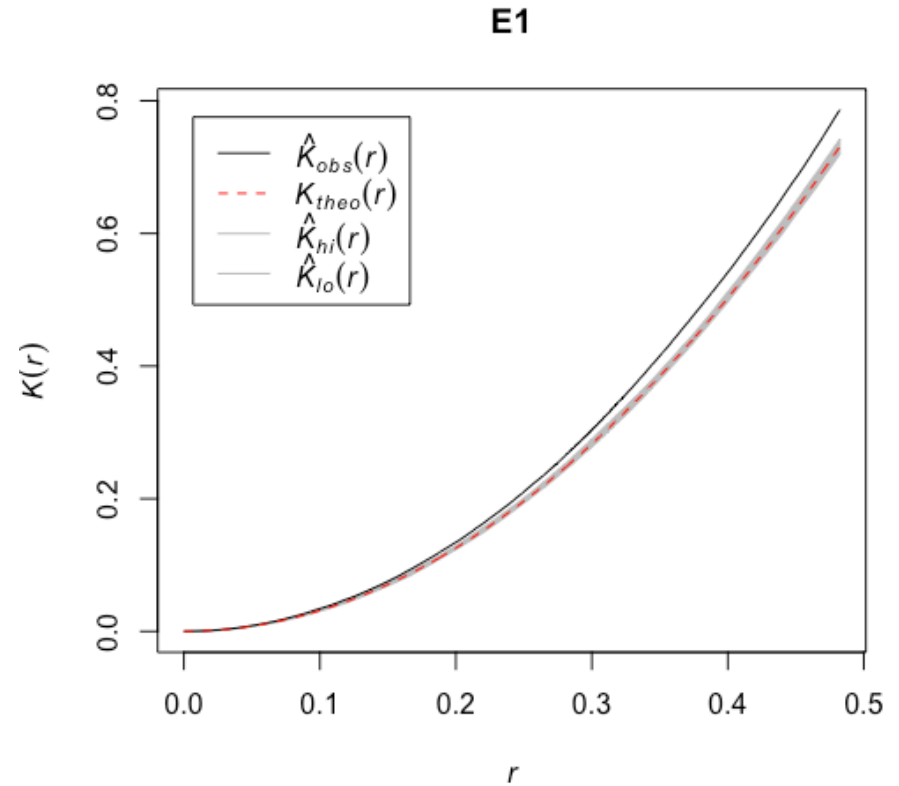
3D projected homogeneous

Ripley K function

$$K(r) = \rho^{-1} \frac{\text{Card}\{p_i, p_j \mid d(p_i, p_j) < r\}}{n} \quad K_{rand}(r) = \pi r^2$$

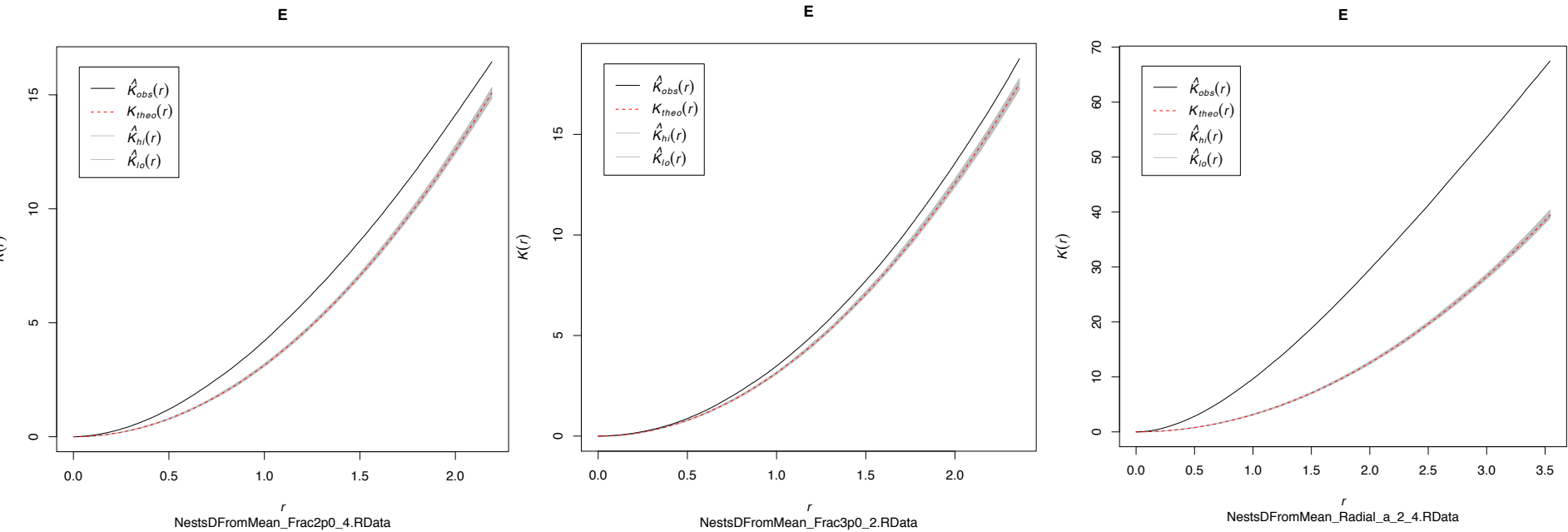


2D homogeneous



3D projected homogeneous

Radius of local homogeneity

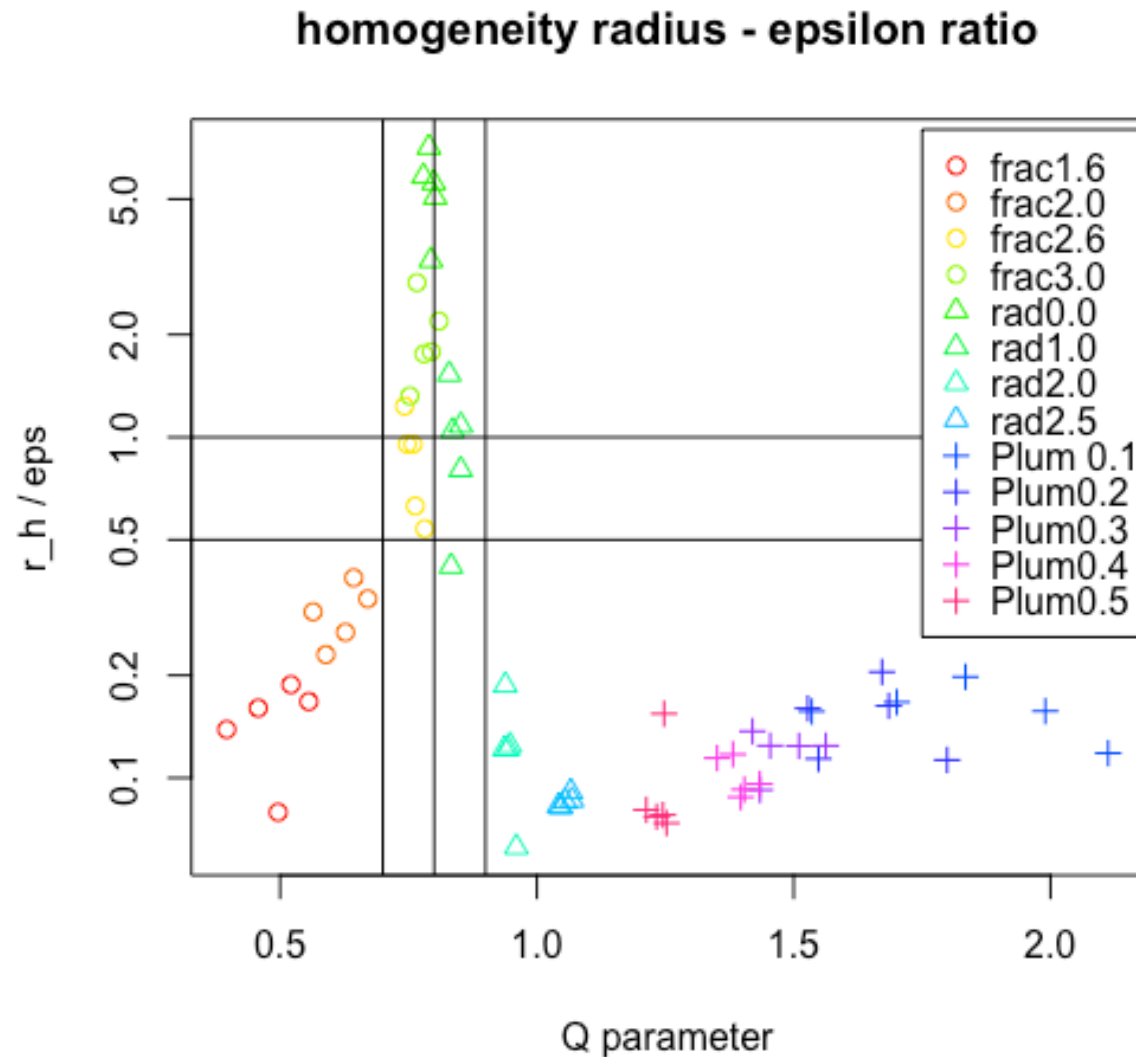


Structured

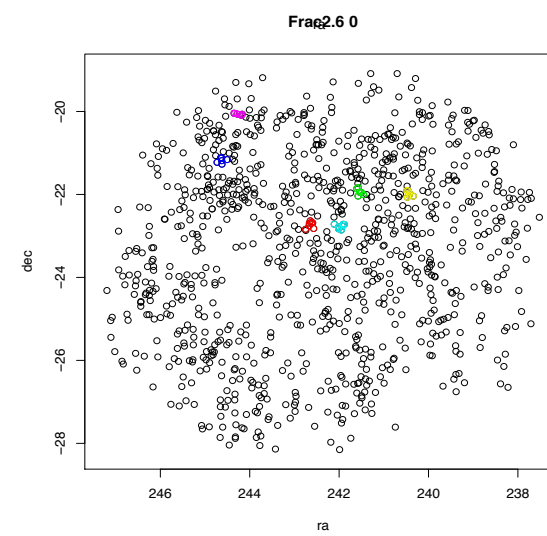
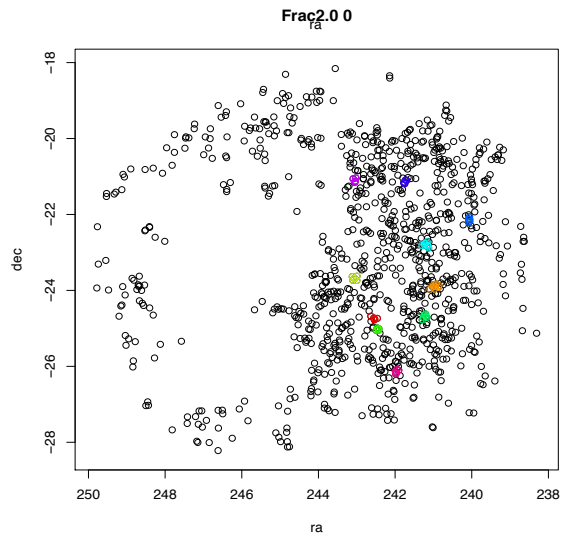
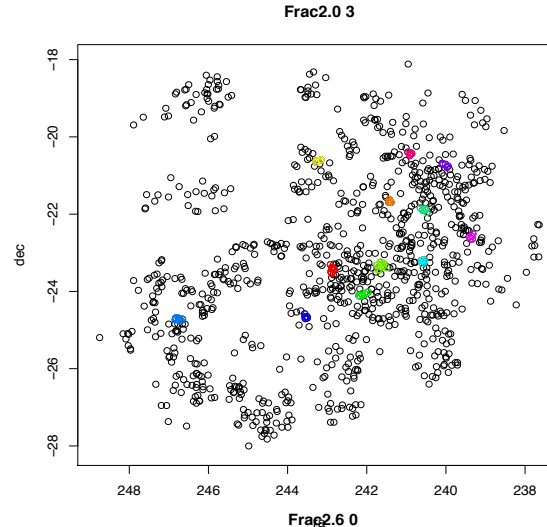
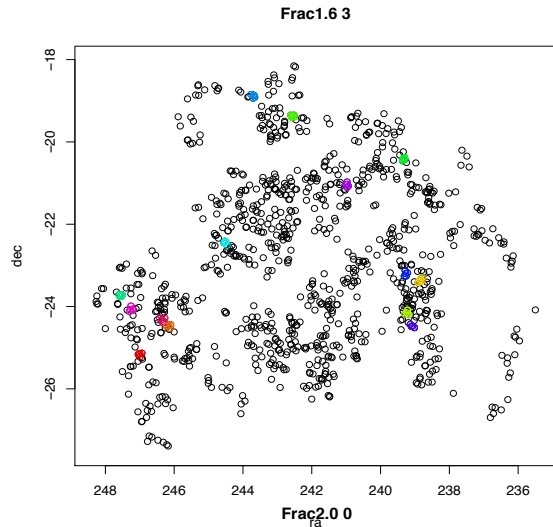
Homogeneous

Concentrated

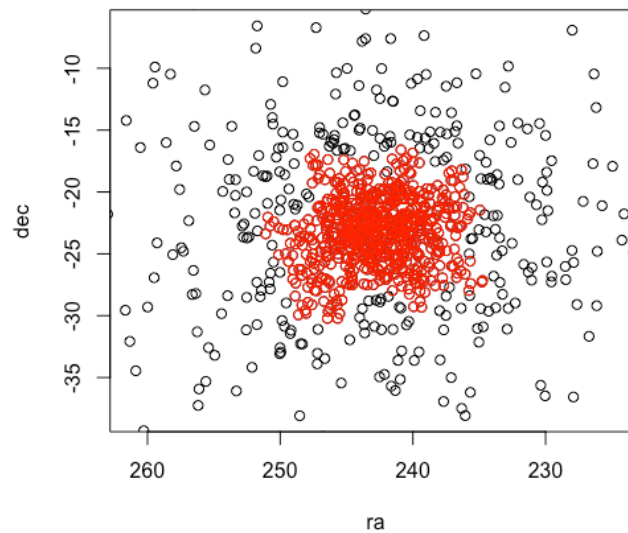
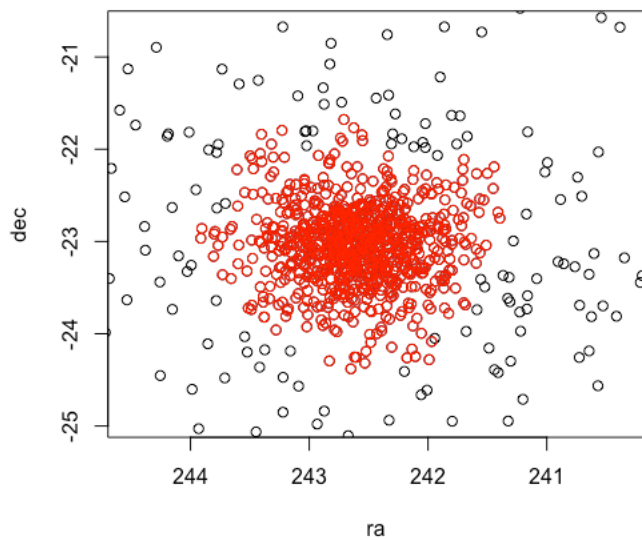
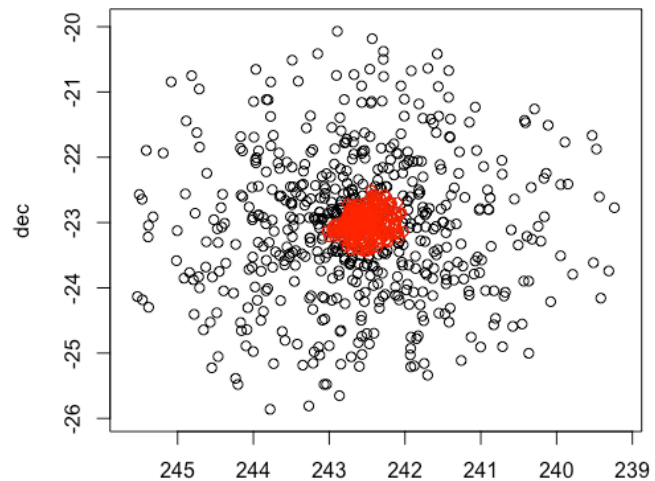
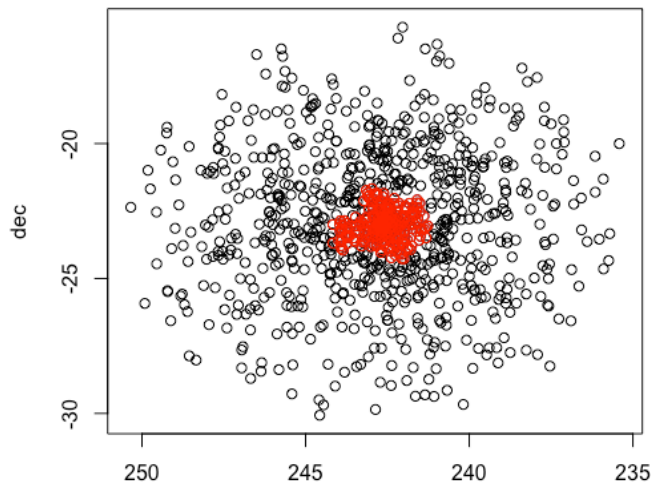
Locally homogeneous regions



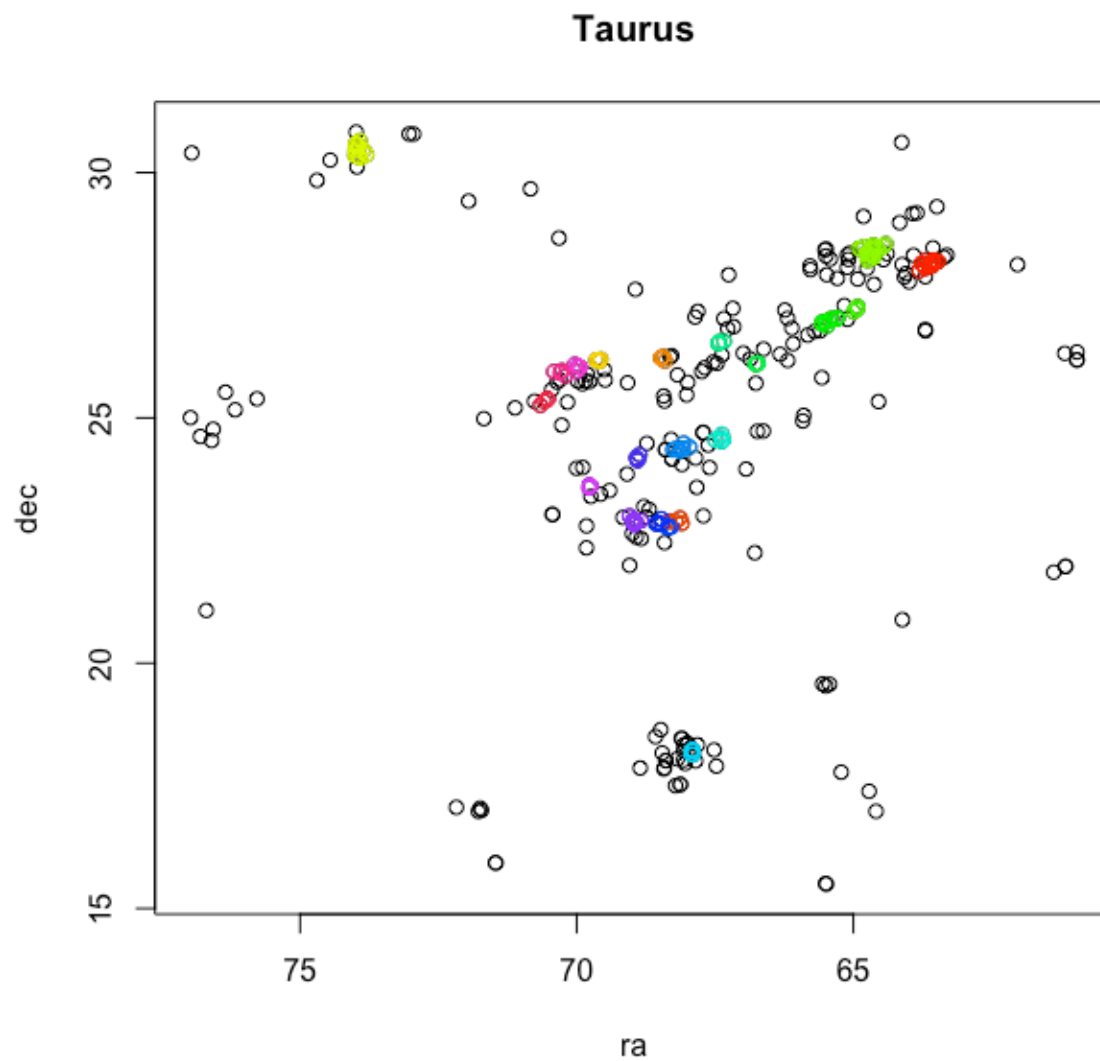
Structured regions



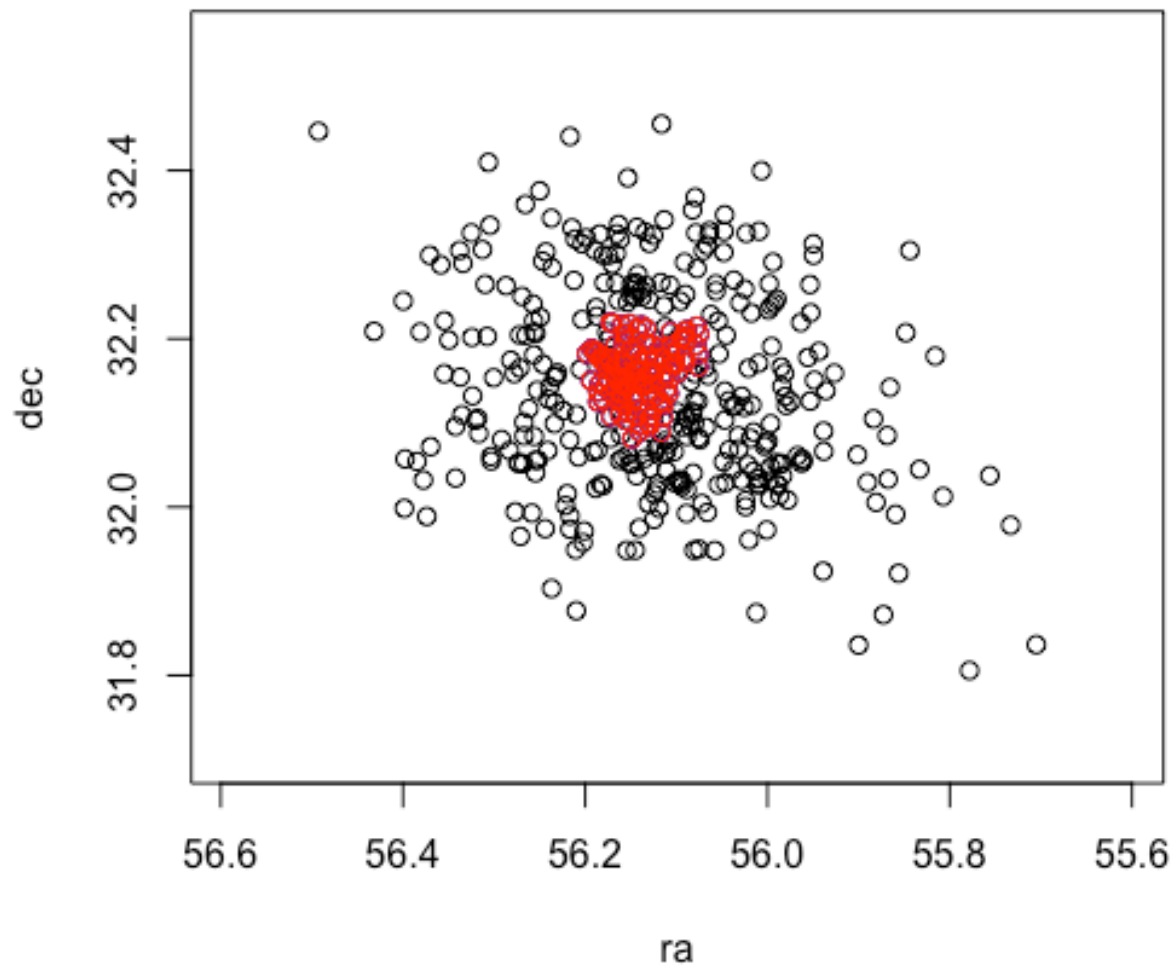
Concentrated regions



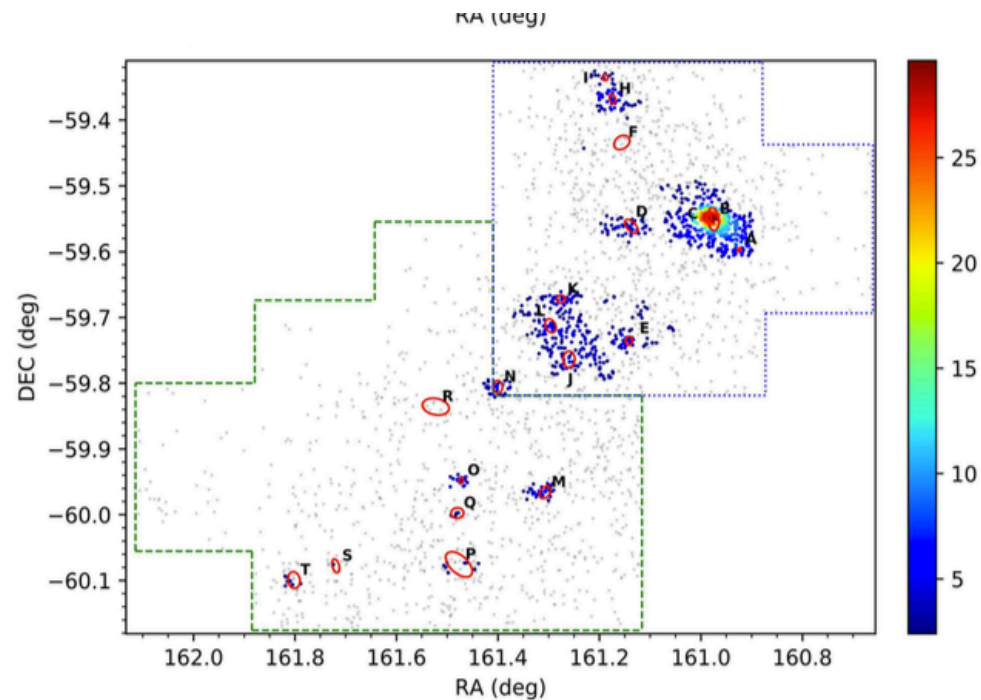
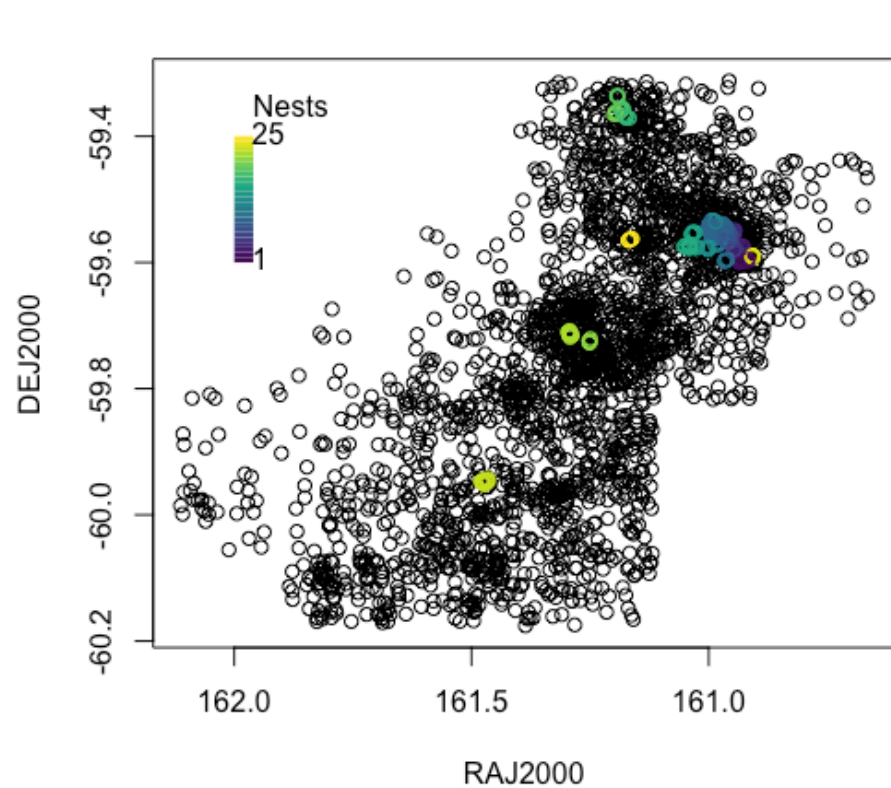
Real data: Taurus



Real data: ic348



Real data: Carina Nebula



Buckner et al 2019
(ellipses: Khun et al 2014)

Summary

- Developed a robust methodology to retrieve structures on a variety of different nature inputs
- Objective, statistically-based strategies to ensure reliability and mitigate projection effects.
- Limits: single scale \rightarrow density. Multiscale version already on development.